

# Does rainfall increase or decrease motor accidents 

A reflection on the good, the bad and the ugly (in statistics)

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## Introduction

- Does rain increase the number of motor accidents?
- The role of statistics in getting a good answer
- Discussion of both of these points previously presented in Davies et al (2004)


## We are not talking about...



## Nor are we talking about...



16th
General Insurance Seminar

## 9-12th Nov 2008 Hyatt Regency Coolum

## We discuss Australian (Perth) roads, drivers and conditions



## Data

- Data
- CTP claims from accidents in Perth from July 1993 to December 2005
- Accident date and time
- Vehicle registrations
- Monthly and daily rainfall data from Perth weather stations
- Manipulation
- Match accident and rainfall days
- Days defined to begin at 9am


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## Claim frequency - modelling with rainfall



Monthly claim frequency


Rainfall

## Results after removal of trend




Fitting of trend
Residuals

## Regression on rainfall

| Quantity | Estimate | Std error | t-value | Significant? |
| :---: | :---: | :---: | :---: | :---: |
| Intercept | -0.0132 | 0.0029 | -4.5413 | $* * *$ |
| Rainfall | 0.0002 | 0.0000 | 6.3744 | $* * *$ |
| $\mathrm{R}^{\wedge} 2$ | $22 \%$ |  |  |  |
| df | 148 |  |  |  |
| F-value | 40.6330 |  |  | $* * *$ |

Rainfall has small but significant effect - higher rainfall $\rightarrow$ higher frequency.

But low R ${ }^{2}$

## Is rainfall truly an explanatory variable?

- Is it possible that rainfall is significant simply because it acts as a proxy for a seasonal effect
- If we include daylight hours in regression, rainfall is no longer significant

| Quantity | Estimate | Std error | t-value | Significant? |
| :---: | :---: | :---: | :---: | :---: |
| Intercept | 0.1213 | 0.0267 | 4.5345 | $* * *$ |
| Rainfall | $3 . E-05$ | $5 . E-05$ | 0.6765 |  |
| Daylight | -0.0102 | 0.0020 | -5.0554 | $* * *$ |
| $\mathrm{R}^{\wedge} 2$ | $33 \%$ |  |  |  |
| df | 147 |  |  | $* * *$ |
| F-value | 36.4664 |  |  |  |

## Is this the end?

- The monthly normal linear regression analysis does not support a rainfall effect.
- End of story?
- Maybe not - are we approaching the problem correctly?
- Lies, damn lies and statistics


## Good modelling

1. Why use monthly data?

- What does rain on $1^{\text {st }}$ March have to do with accidents on $31^{\text {st }}$ March?
- Why doesn't rain on $31^{\text {st }}$ March have any bearing on accidents on $1^{\text {st }}$ April
- $\quad$ Suggests use of data on a finer scale - e.g. daily

2. Accidents = count data.

- Poisson error distribution is preferable to normal Analysis is similar to that in Eisenberg (2004)


## Food for thought - Eisenberg (2004)

- Analysis based on American motor accident data
- Monthly analysis showed an inverse relation with rain
- More rain, less accidents
- Daily analysis demonstrated two opposing rainfall effects
- Primary: rain on a particular day leads to more accidents that day
- Secondary: rain on previous days means fewer accidents. May be due to cleaner roads or more careful drivers.
- What will analysis of Perth daily data show?


## Model setup

- Over-dispersed Poisson GLM
- Covariates include:
- Accident month: to remove the overall downward trend
- Month of year: to capture annual seasonal effects
- Day of week: e.g. Fridays different to Sundays
- Daily rainfall: both rainfall on the accident day and rainfall in the past (represented here by rain 2 days before the accident)


## Rainfall results from daily modelling




Secondary
Past rainfall

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## Statistics: the good, the bad and the ugly



## The bad

- Trying to explain the overall reducing trend using regression techniques and various explanatory factors
- Example here regresses frequency on the author's age.
- Pretty good fit but meaningless in terms of causation
- Similar results from any monotonic sequence including sensible ones like fleet average age, multi-vehicle ownership,

Frequency
 but does it mean anything.

- Correlation does not equal causation.


## The ugly

- Accident numbers are count data
- Use of normal error distribution is inappropriate
- Could model $\log$ (accident numbers/frequency); a log normal model. But still incorrect and it requires a bias correction.

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## The good

- Modelling daily rather than monthly
- Using an appropriate error distribution
- We can be more confident that rainfall is the cause of the "rainfall" effects
- But never 100\% sure......


## References

- Davies, R., Winn, R. and Jiang, J. (2004). Determinants of claim frequency in CTP schemes. Accident Compensation Seminar, 2004, Institute of Actuaries of Australia.
- Eisenberg, D. (2004). The mixed effects of precipitation on traffic crashes. Accident Analysis and Prevention, 36, 637-647.


## To conclude

- Rainfall results are interesting in themselves
- The problem is a good example of the importance of getting the level of data detail correct
All models are wrong, some are useful

