



# **Adverse Selection Spirals**

**Professor Piet de Jong**  
**Shauna Ferris**  
**Macquarie University**

## The Right to Underwrite ?

- Sex Discrimination
  - Unisex Pensions ? (USA, Australia, UK)
  - MV insurance (Canada)
- HIV/ AIDS
- Genetic Testing

## In favour of Risk Classification

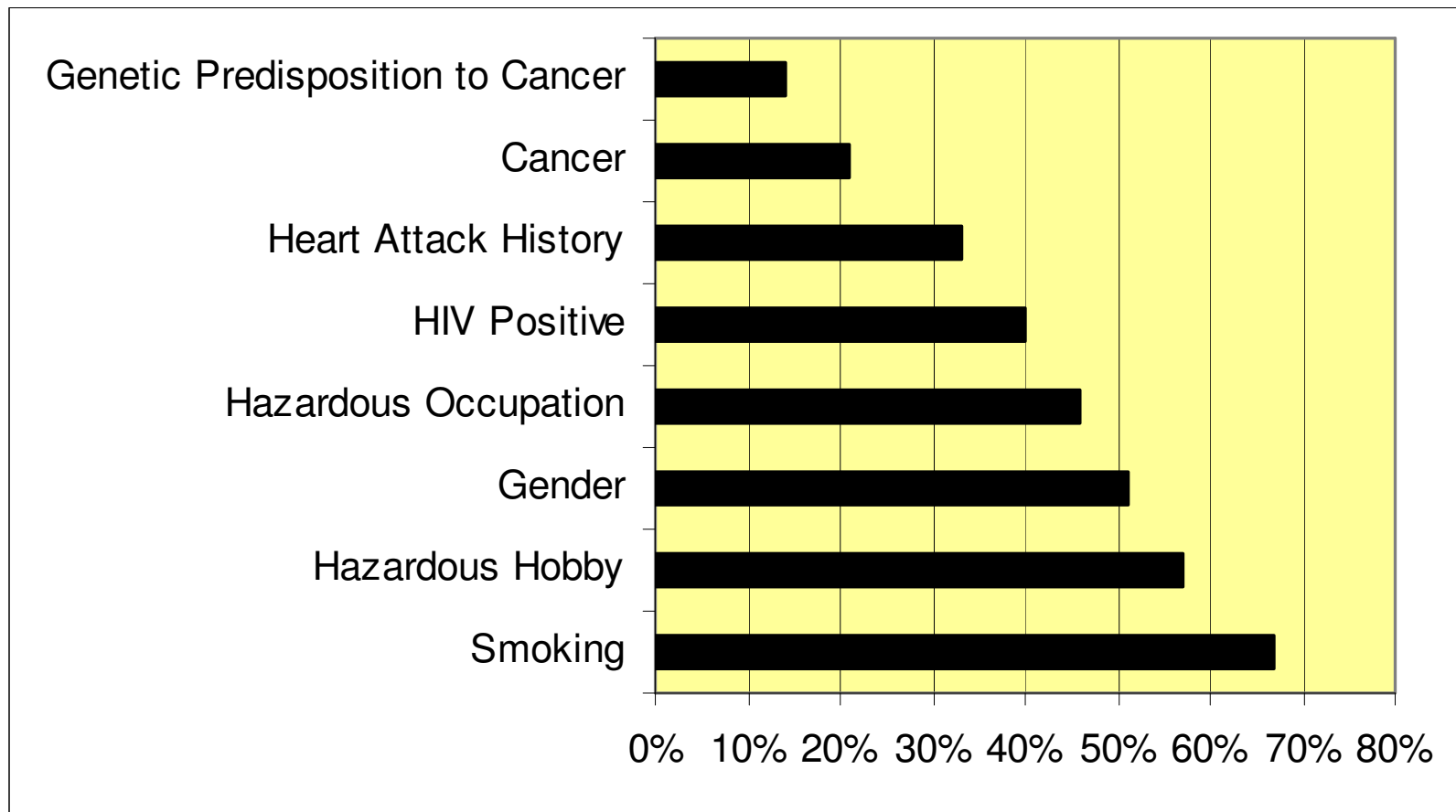
- “Actuarial Fairness”
- Preventing Adverse Selection Spirals
  - Increasing Premiums
  - Market Failure ?



## Objections to Risk Classification

- Someone always loses
- Is “actuarial fairness” really fair?
  - MAP survey
  - Australian survey on genetics
- More disadvantages for the disadvantaged ?
  - Battered wives (USA)
  - Credit Scoring (USA)

# Attitudes to Underwriting (Map 1990)







# Objections to Risk Classification

- Privacy Issues
  - Aids / HIV and sexual preference
  - Genetics and eugenics
- Public Health Issues
  - Aids / HIV Controversy in UK
  - Genetics
- Heterogeneity in Risk Groups
  - Fairness to individuals ? Manhart decision



## Cost / Benefit Analysis

*Q. If the government / public opinion imposes restrictions on the use of certain risk classification factors..... what will be the effect on premium rates and demand for insurance ?*

*Will it be*

*a 5% premium increase ?*

*a 20% increase ?*

*or complete market breakdown ? (spiral)*

*Have insurers been “crying wolf “? (unisex, genetics)*

## Building a Model

Actuaries v. Economists ?



Heterogeneous Population

R = Sum Insured purchased

X = Claim cost per \$1 SI

Risk Group G

$p(g)$  = Proportion of Popn in Group g

$r(g)$  = Average Sum insured purchased

$\mu(g)$  = Average Claim cost per \$1 SI



## Adverse Selection Losses

No Risk Classification : Premium per \$1 SI =  $E(X)$

$$E[\text{Premium Income}] = E(R) E(X)$$

$$E[\text{Claim Outgo}] = E(RX)$$

$$E[\text{Losses}] = E(RX) - E(R)E(X)$$

$$= \text{Cov}(R, X)$$

$$= \text{Cov}[r(g), \mu(g)]$$

$$= \text{sd}[r(g)] * \text{sd}[\mu(g)] * \sigma$$

## Managing Adverse Selection

- Adverse Selection Losses depend on
  - Variance of  $E[\text{Claim Cost}]$  by risk group
  - Variance of  $E[\text{Amounts Purchased}]$  by risk group
  - Correlation

Positive correlation between Risk and Sum insured means poor risks buy more insurance

> losses

Losses can be controlled by product design, financial underwriting, targetted marketing etc.



## Life Insurance Correlation

**NEGATIVE** Correlation: People with high SI have lower mortality rates than average (> 100 years)

“Active Selection”

> Information asymmetry (+)

“Passive Selection”

> Wealth Effect (-)

> Dependency Effect (-)

> Risk Aversion Effect (-)



## Annuity Products

**Positive** Correlation : People with high annuity amounts have lower mortality

> Adverse selection losses

Practical Actuarial Solution:

- Break-even premium is calculated
- Use dollar-weighted mortality rates (1854 ? )
- pa(90) tables

BUT..... ?





## Is the Past a guide to the Future ?

- Assumption : Relative Demand by different risk groups is stable
- BUT Demand changes when Market changes ...
  - Tax
  - Social Security
  - Competing Products
  - Risk Classification Structure



## Market-sensitive demand

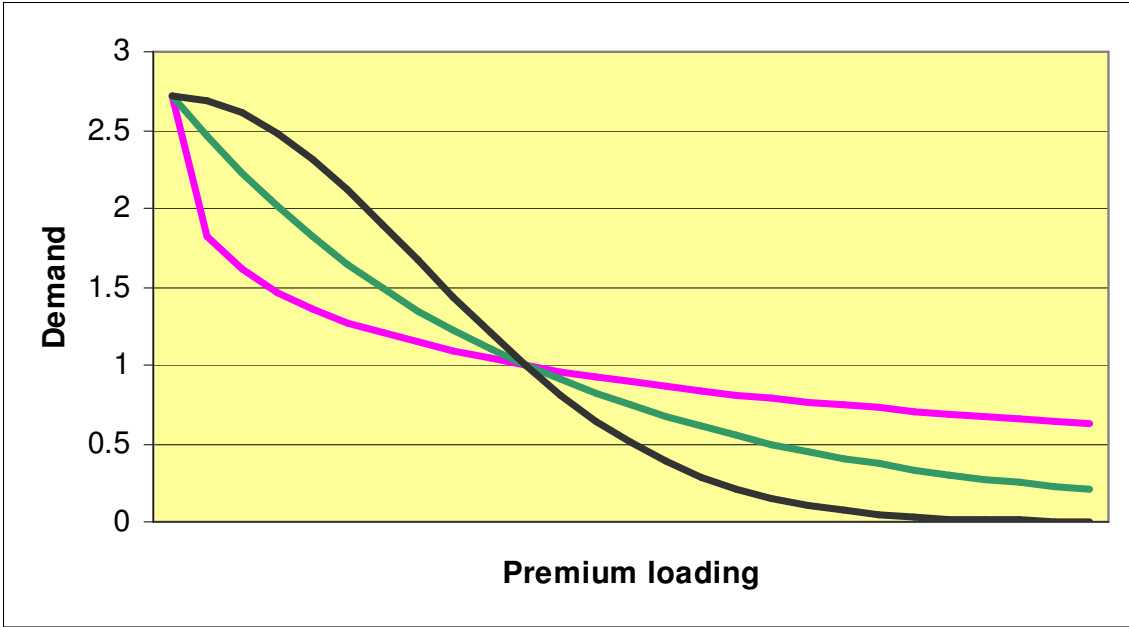
Assume Demand for group  $g$  varies with

- Expected claim cost for group  $g$
- Premium rate  $\pi$

$\gamma$  is a price-sensitivity parameter

$$r(g, \pi) = d_g \exp \left[ 1 - \left( \frac{\pi}{\mu(g)} \right)^\gamma \right]$$

# Flexibility of demand curve

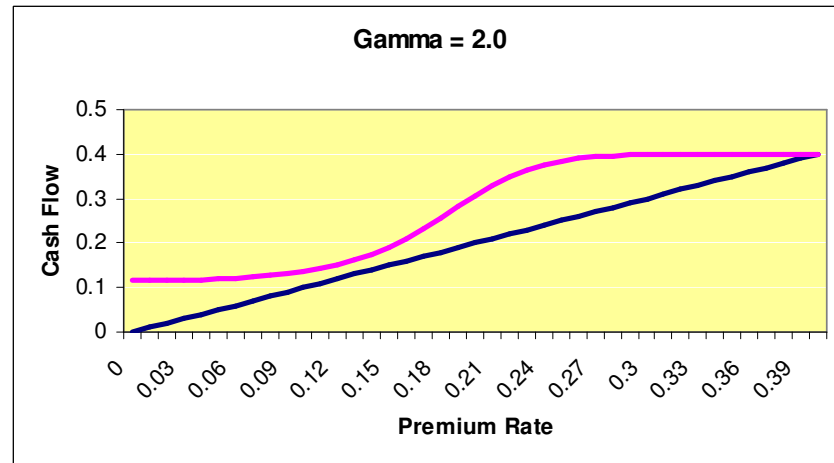
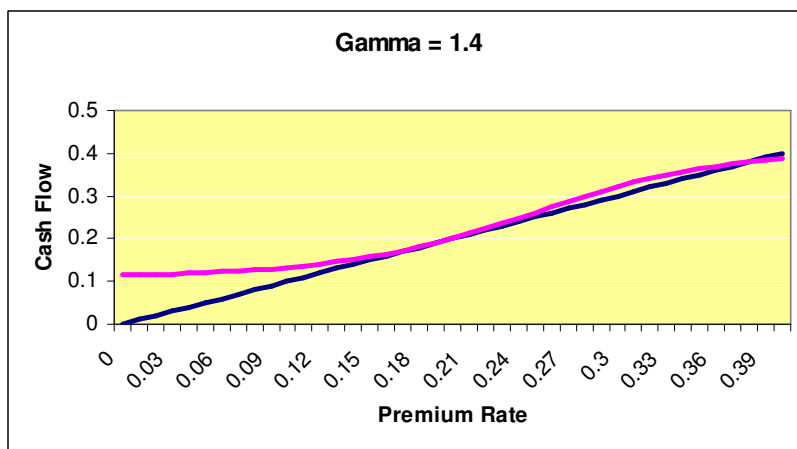
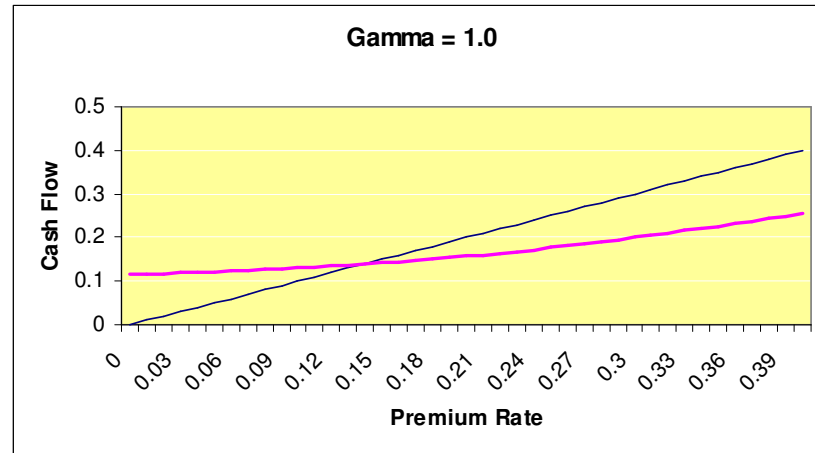
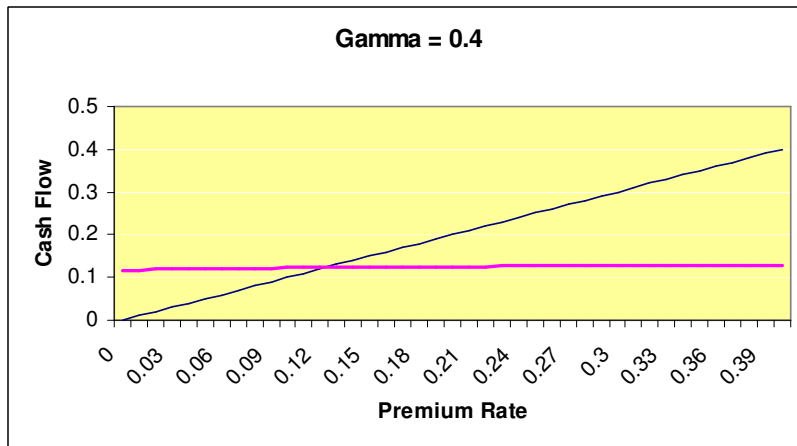


## Equilibrium Conditions

Equilibrium occurs in a competitive market when the insurer breaks-even (including capital costs)

$$\pi = \frac{\sum_g r(g, \pi) \mu(g) p(g)}{\sum_g r(g, \pi) p(g)}$$

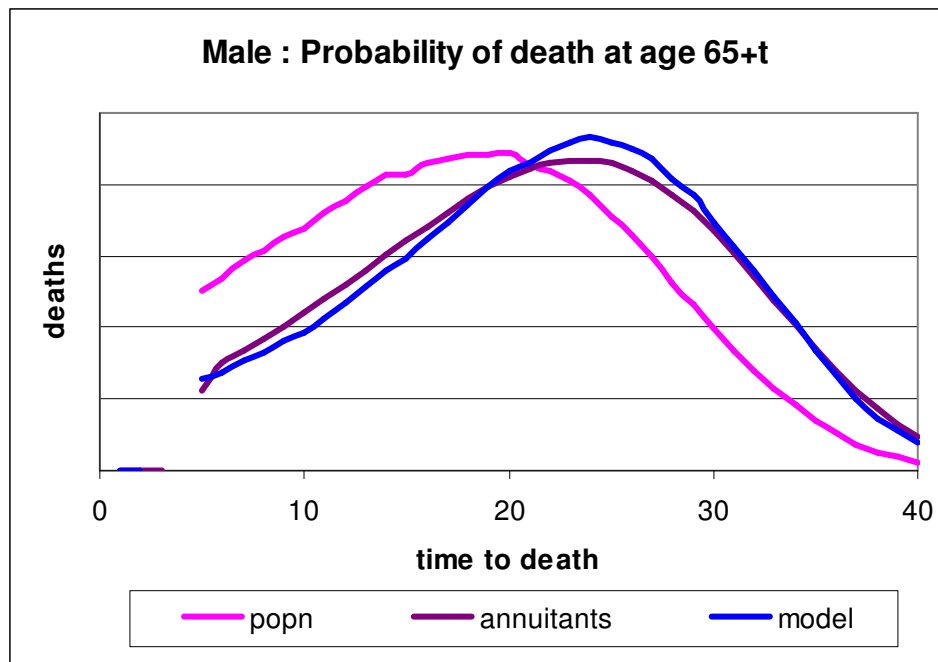
# Chaotic Behavior : Tipping Points





# A Practical Example : UK Annuities

Step 1 : Fit model to current data to determine premium loading sensitivity parameters  $\gamma_b$



## Effect of Unisex Premiums

Allow for Unisex Premium Requirement

– Male and Female Rates Must be Equal

Solve : Equilibrium Premium & Demand

	Males	Females
Gender Premium Rate	14.88	16.98
Unisex Premium Rate	16.54	16.54
Change in Demand	-59%	+22%



## Effects of Unisex Requirement

- Female premiums fall slightly
- More females enter the market (+22%)
- Average female mortality rates increase as unhealthier women find it worthwhile to buy
- Male premiums rise significantly
- Many males drop out (-59%)
- Average male mortality rates fall as unhealthier men no longer find it worthwhile to buy



## More interesting questions

- Empirical evidence on adverse selection
- Impact of proxy variables
- Sum insured as a rating variable
- Effectiveness of SI restrictions on underwriting (as in UK equity market)
- Critique of economists' models





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